AUTOMATIC PARALLELIZATION OF PROGRAMS

Sanjeev K Aggarwal Department of Computer Science and Engineering IIT Kanpur 208016 INDIA

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SANJEEV K AGGARWAL DEPARTMENT OF COMPUTER SANJEEV AND ENGINEERING INDIA (REACH SYMPOSIUM 2010) 1 0 1 / 35

FACT #1: COMPUTER SYSTEMS

- Processors and Computer Systems are becoming more and more powerful
	- Faster and many core processors
	- High speed memory and disks
	- Large memory bandwidth
	- Low latency networks

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	- Faster and many core processors
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	- Low latency networks
- In few years time a desktop will be able to deliver a tera-flop of compute power

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FACT #2: SUPERCOMPUTING APPLICATIONS

- Used in applications requiring very large compute time
- Important applications:
	- Engineering simulations (FM, CFD, structures)
	- Biology (Genetics, cell structure, molecular biology)
	- Nuclear physics, high energy particle physics, astrophysics, weather prediction, molecular dynamics
	- Drug design, medical industry, tomography

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	- Financial services, data-mining, web services, data centers, search engines
	- Entertainment industry, animation, gaming

Systems and Applications

- These applications require enormous compute power
- The compute power is available

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Systems and Applications

- These applications require enormous compute power
- The compute power is available
- Where is the CHALLENGE/GAP?

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- The biggest challenge: how do we program these machines?
- Solving these complex problems, and programming these architectures require different methodology
- Better algorithms, compilers, libraries, profilers, application tuners, debuggers etc. have to be designed
- Software systems (algorithms, compilers, libraries, debuggers) AND programmers (mainly trained in sequential programming) are unable to exploit the compute power

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- The largest user base is outside computer science domain
- Engineers and scientists should not be spending their energy in understanding machine architecture, concurrency and language issues
	- They want to solve their problems
	- They are domain experts and not system experts

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High Performance Systems

Power of supercomputers comes from

Hardware technology: faster processors and memories, more cache, low latency between devices

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High Performance Systems

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- Hardware technology: faster processors and memories, more cache, low latency between devices
- Multilevel architectural parallelism

Pipeline out of order execution VECTOR handles arrays with a single instruction PARALLEL lot of processors each capable of executing an independent instruction stream VLIW handles many instructions in a single cycle Clusters large number of processors on a very fast network MULTICORE lot of processors on a single chip GRID Cooperation of a large number of systems

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Sources and Types of Parallelism

- Structured: identical tasks on different data sets
- Unstructured: different data streams and different instructions
- Algorithm level: appropriate algorithms and data structures

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- **•** Programming:
	- Write sequential code and use compilers
	- Write sequential code and use parallel APIs (MPI, OpenMP etc.)
		- Use fine grain parallelism: basic block or statement
		- Use medium grain parallelism: loop level
		- Use coarse grain parallelism: independent modules/tasks
	- Specify parallelism in parallel languages

 $\left\{ \left\vert \Theta\right\vert \times\left\vert \left\langle \Phi\right\vert \right\vert >\left\vert \left\langle \Phi\right\vert \right\vert \right\}$

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	- Specify parallelism in parallel languages
- Expressing parallelism in programs
	- No good programming languages
	- Most applications are not multi threaded
	- Writing multi-threaded code increases software cost
	- Programmers are unable to exploit whatever little is available

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- Current software technology is unable to handle all these issues
- Most of the programming still happens in Fortran/ $C/C++$ using parallel APIs

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- Main directions of research
	- Design of concurrent languages (X10 of IBM)
	- Construction of tools to do software development
		- Profilers, code tuning, thread checkers, deadlock/race detection
		- Parallelizing compilers
		- Better message passing libraries
	- Development of mathematical libraries

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- Dusty decks problem
	- Conversion of large body of existing sequential programs developed over last 45 years
	- Several billion lines of working code (almost debugged)
	- Manual conversion is not possible

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Therefore, RESTRUCTURING COMPILER[S A](#page-16-0)[RE](#page-18-0) [R](#page-14-0)[E](#page-18-0)[QU](#page-0-0)[IR](#page-64-0)[E](#page-0-0)[D](#page-64-0)

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Amdahl's Law

Determines speed up

- α : fraction of code in scalar
- 1α : fraction of code which is parallelizable
- 1 operation per unit time in scalar unit τ operations per unit time in parallel units

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$$
Speed-up = \frac{1}{\alpha + \frac{1-\alpha}{\tau}}
$$

0 \le \alpha \le 1 and $\tau \ge 1$

Amdahl's Law

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- Scalar component of the code is the limiting factor
- Parallel code must be greater than 90% to achieve any significant speedup
- Most of the execution time is spent in small sections of code
	- concentrate on critical sections (loops)
- Loop parallelization is the most beneficial
- Automatic parallelization must focus on the loops

LOOP OPTIMIZATION

- Loop unrolling, jamming, splitting
- Induction variable simplification
- **•** Loop interchange
- Node splitting
- Loop skewing
- Conversion to parallel loops
- Inspector Executor parallelization
- Speculative parallelization
- Use APIs like OpenMP, MPI, PVM, Cuda etc.

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- Use APIs like OpenMP, MPI, PVM, Cuda etc.
- How does compiler perform these optimizations?

Parallelization: Programmers vs. Compilers

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Parallelization: Programmers vs. Compilers

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Parallelization: Programmers vs. Compilers

Can compilers become as good as programmers?

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Class of Problems

- Dense data and regular fetch patterns
	- **Basic Linear Algebra Systems**
	- Use loop optimizations
- Sparse/dense data and irregular fetch patterns
	- N-body simulation, molecular dynamics, Charmm, Discover, Moldyn, Spice, Dyna-3D, Pronto-3D, Gaussian, Dmol, Fidap
	- Inspector-executor model for parallelization
	- Speculative parallelization

COMPILER STRUCTURE

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```
for i = 1 to n do
   for j = 1 to n do
        for k = 1 to n do
            c[i,j] += a[i,k] * b[k,j]
        endfor
    endfor
endfor
```
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$$
\begin{aligned} \text{for } i &= 1 \text{ to } n \text{ do} \\ \text{for } j &= 1 \text{ to } n \text{ do} \\ \text{for } k &= 1 \text{ to } n \text{ do} \\ \text{c}[i,j] &+= \text{a}[i,k] * \text{b}[k,j] \\ \text{endfor} \\ \text{endfor} \\ \text{endfor} \end{aligned}
$$

- n 3 iteration
- **•** Each cell computation requires n multiplications and n additions
- \bullet Total n^3 multiplications and additions
- **O** Sequential execution time: ∼ 80 seconds
	- (for n=1500 on a dual core laptop)

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How do we know that version 2 computes the s[am](#page-36-0)[e r](#page-38-0)[e](#page-33-0)[s](#page-34-0)[u](#page-37-0)[lt](#page-38-0) [a](#page-0-0)[s v](#page-64-0)[er](#page-0-0)[sio](#page-64-0)[n](#page-0-0) [1?](#page-64-0)

```
omp_set_num_threads(omp_get_num_procs());
#pragma omp parallel for private(j,k)for i = 1 to n do
    for i = 1 to n do
        for k = 1 to n do
            c[i,j] += a[i,k] * b[k,j]endfor
    endfor
endfor
```
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endfor

- How do we know that this version computes the same result as version 1?
- Compilers can easily transform version 1 of the program into version 2 and version 3 to improve performance
- However, they need to do Data Dependence Analysis to establish equivalence of the two versions

DATA DEPENDENCE ANALYSIS: EXAMPLE

$$
\begin{array}{ll}\n\text{for } i = 1, \, n \\
\text{a}[i] = b[i] & \text{S1} \\
\text{c}[i] = a[i] + b[i] & \text{S2} \\
\text{e}[i] = c[i+1] & \text{S3} \\
\text{a}[i] = i * i & \text{S4} \\
\text{endfor}\n\end{array}
$$

- S1 writes into a[i] which is read by S2 in the same iteration
- S3 reads from $c[i+1]$ which is over written by S2 in the next iteration
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- Flow dependence: When a variable is assigned value in one statement and used in a subsequent statement
- Anti dependence: When a variable is used in one statement and reassigned in a subsequent statement
- Output dependence: When a variable is assigned in one statement and reassigned in a subsequent statement

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- Anti dependence: When a variable is used in one statement and reassigned in a subsequent statement
- Output dependence: When a variable is assigned in one statement and reassigned in a subsequent statement
- Presence of dependence between two statements prevents optimization

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DATA DEPENDENCE ANALYSIS

• Consider a loop

for $I = 1$, n $X[f(1)] = ...$ S1 = $X[g(1)]$ 52 endfor

• There is a dependence from S1 to S2 if there are instances I_1 and I_2 of I such that

$$
1 \leq l_1 \leq l_2 \leq N \qquad \text{and} \qquad f(l_1) = g(l_2)
$$

there is an iteration I_1 in which S1 writes into X, and a subsequent (or the same) iteration I_2 in which S2 reads from the same element of X

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DATA DEPENDENCE ANALYSIS

- If f and g are general functions, then the problem is intractable.
- If f and g are linear functions of loop indices then to test dependence we need to find values of two integers I_1 and I_2 such that

$$
1 \le l_1 \le l_2 \le N \qquad \text{and} \qquad a_0 + a_1 l_1 = b_0 + b_1 l_2
$$
\nor\n
$$
1 \le l_1 \le l_2 \le N \qquad \text{and} \qquad a_1 l_1 - b_1 l_2 = b_0 - a_0
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- These are called Linear Diophantine Equations
- The equations have to be solved to do program optimization

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- The equations have to be solved to do program optimization
- IS THAT ALL?

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Techniques of Data Dependence Analysis

- Reduces to integer programming problem
	- NP Complete
- Exhaustive solutions can not be found
	- iteration space is just too large
- Test equations and inequalities for existence of a solution
- Techniques
	- GCD test for existence of an integer solution
		- could be outside the range
	- Banerjee's test for existence of a solution in the range
		- could be a real solution
	- Omega test: the most powerful test based on Fourier-Motzkin method

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LIMITATIONS OF DATA DEPENDENCE ANALYSIS

- Can not work with in-exact data and symbolic data
	- Data may not be available at compile time
- Loop iteration count may not be known at compile time
- The iteration space may not be 'well shaped'
- Data access patterns may not be regular (may be very complex!)
- Runtime optimization techniques are required
	- Inspector-Executor model
	- Speculative parallelization

Irregular Access (MOLDYN Kernel)

```
for step = 1, HSTEP
   for i = 1, num interactions
      n1 = left[i]n2 = right[i]
      force = (input[n1] - input[n2])/4forces[n1] = forces[n1] + force
      forces[n2] = forces[n2] - force
   endfor
endfor source: http://gpgpu.org/tag/molecular-dynamics
```


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Inspector Executor Code

```
for iteration = 1 to n
   for i = StartIndex to EndIndex
      a[i] = b[i] + c[iaj]endfor
endfor
```
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for iteration = 1 to n
   for i = StartIndex to EndIndex
      a[i] = b[i] + c[iaj]endfor
endfor
```
//inspector phase $for i = StartIndex to FndIndex$ $|a[i] = b[i] + c$. inspect($|a[i]$) endfor

//create the communication schedule c.schedule()

for iteration $= 1$ to n //fetch remote values according //to the communication schedule c.fetch() for $i =$ StartIndex to EndIndex $|a[i] = b[i] + c$. execute ($|a[i]$) endfor endfor

SPECULATIVE PARALLELIZATION

- Execute loop as a parallel loop
- Keep track of memory references during execution
- Test for data dependence
- If there are dependencies then re-execute the loop sequentially
- LRPD (Lazy Privatizing Doall extended for Reduction validation)
- Improved LRPD with fewer roll backs

PARTIALLY PARALLEL LOOP: EXAMPLE

$$
\begin{array}{l} \text{for } i = 1, 8 \\ z = A[K[i]] \\ A[L[i]] = z + C[i] \\ \text{endfor} \end{array}
$$

 $K[1:8] = [1,2,3,1,4,2,1,1]$ $L[1:8] = [4,5,5,4,3,5,3,3]$

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- Iterations before the first data dependence are correct and committed.
- Re-apply the LRPD test on the remaining iterations.

OpenMP (Open Multi-Processing)

- An application programming interface (API)
- Supports multi-platform shared memory multiprocessing programming
- \bullet C/C++ and Fortran on many architectures, including Unix and Microsoft Windows platforms.
- Consists of a set of compiler directives, library routines, and environment variables that influence run-time behavior
- Reference: www.openmp.org

- Programmers use high level languages and APIs like OpenMP, Pthreads, Window threads, Mutex, Cuda etc. to write parallel programs
	- GPUs are becoming main stream processors for HPC
- The programmer must have a deep knowledge of concurrency to program these machines
- We are reaching (have already reached?) an era where programmers can not write effective parallel programs without understanding machines and concurrency
- Research compilers have become powerful
	- can achieve performance close to hand coded parallel programs
	- Input of programmer is critical to the compiler performance

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• Fortran (Formula Translation) compiler project 1954-1957

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• Fortran (Formula Translation) compiler project 1954-1957

- Considered to be one of the ten most influential developments in the history of computing
- Nobody believed John Backus when he started the project!!
- Prior to Fortran:
	- Programming was largely done in assembly/machine language
	- Productivity was low

Reasons of Success of Fortran

- End-users were not ignored
	- A mathematical formula could easily be translated into a program
	- Productivity was very high, code maintenance was easy
	- Quality of generated code was very high
- Adoption: about 70-80% programmers were using Fortran within an year
- Side effects: enormous impact on programming languages and computer science
	- Started a new field of research in computer science
	- lead to enormous amount of theoretical work lexical analysis, parsing, optimization, structured programming, code generation, error recovery etc.

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Early Work in Parallelizing Compilers

- Vectorizing compilers (1970s)
- Researchers at UIUC and Rice university have done pioneering work starting in 80s
- First landmark paper appeared in 1987 in TOPLAS
- High quality compilers are available from PGI, Intel, Fujitsu etc.
- Research Compilers are far ahead of production quality compilers

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Grand Challenge Problem: Can Fortran experiment be repeated for Parallelizing compilers?

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Thank you for your attention

Questions?

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